## A Quick Introduction to Vectors and Loops in Matlab

## Create Vectors

| $\mathrm{x}=1: 5$ | x is a row vector containing $1,2,3,4,5$ |
| :--- | :--- |
| $\mathrm{y}=\left[\begin{array}{llll}0.273 & 3.05-2.74 .222\end{array}\right]$ | y is a row vector |
| $\mathrm{y}=\left[\begin{array}{lll}0.273 & 3.05-2.74 .222\end{array}\right]^{\prime}$ | y is a column vector |
| $\mathrm{z}=$ linspace $(-1,1)$ | z is a row vector with 100 values from -1 to 1 |

## Simple operations on Vectors

After the x vector has been created, then

| $\operatorname{xmax}=\max (\mathrm{x})$ | xmax contains the element from x with largest posi- <br> tive value |
| :--- | :--- |
| $\mathrm{y}=\operatorname{abs}(\mathrm{x})$ | creates a vector y such that $y_{i}=\left\|x_{i}\right\|$ |
| $\mathrm{xmax}=\max (\operatorname{abs}(\mathrm{x}))$ | xmax contains the element from x with largest abso- <br> lute value <br> $\mathrm{xbar}=\operatorname{mean}(\mathrm{x})$ |
| $\mathrm{n}=\operatorname{xbar}$ contains the average of the values in x |  |
| $\mathrm{s}=\operatorname{norm}(\mathrm{x})$ | n is the number of elements in x |
| $\mathrm{t}=\operatorname{sum}(\mathrm{x})$ | s is the $L_{2}$ norm of elements in $\mathrm{x} . \quad s=\left[\sum_{i=1}^{n} x_{i}^{2}\right]^{1 / 2}$ |
|  | t is the sum of the elements in $\mathrm{x} . \quad t=\sum_{i=1}^{n} x_{i}$ |

## Access to Elements in a Vectors

After the x vector has been created, then

| $x(3)$ | is the third element of $x$ |
| :--- | :--- |
| $x(2)=7.2$ | stores 7.2 in the second element of $x$ |
| $i=3 ; y(i)=x(i+1)$ | stores the value of $x(4)$ in $y(3)$. |
| $i=3 ; y(i)=\operatorname{sqrt}(x(i+1))$ | stores the square root of the value of $x(4)$ in $y(3)$ |

## Loops with Vectors

Here is a Matlab function that uses a loop to compute the average of the elements in x

```
function xbar = average(x)
% average Compute the average of the elements in a vector
xsum = 0;
n = length(x)
for i=1:n
    xsum = xsum + x(i);
end
xbar = xsum/n;
```

Note that i, n, xbar, and xsum are all scalar values, i.e. they are equivalent to matrices with one row and one column.

